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- Pitch perception of resolved complex tones can remain fairly accurate even when all harmonics are beyond the putative limits of phase locking [8, 4, 1].
- Pitch perception of complex tones can also remain fairly accurate in the presence of complex tone maskers [6, 5, 10].
- However, is is unknown whether accurate pitch perception is possible with both (1) complex tone maskers and (2) targets entirely beyond the limits of phase locking.

Overview — behavior

- Tested Low Freq (~ 1680-2800 Hz) and High Freq (~ 7000-14000 Hz) Pitch discrimination
- F0DLs with and without single masker complex tone
- Melody discrimination
- Same-different identification for four-note melodies with and without single masker complex tone
- Major/minor discrimination
- Major-minor discrimination for simultaneous and arpeggiated (sequential) triads

Stimuli

- **Targets:** Complex tones in threshold-equalizing noise (TEN) [7]
- All harmonics of F0, bandpass filtered (12th-order zero-phase Butterworth, cutoffs at $5.5 \times$ and $10.5 \times$ nominal F0)
- Maskers: Complex tones
- All harmonics of F0, bandpass filtered (12th-order zero-phase Butterworth, cutoffs at $4 \times$ and $12 \times$ nominal F0)
- Frequency range:
- Low Freq (nominal $F0 = 280 \text{ Hz} \pm 10\%$ rove)
- High Freq (nominal F0 = 1400 Hz \pm 10% rove)
- Durations:
- Pitch & melody discrimination 350 ms per tone
- Major/minor discrimination (triads) 750 ms (short), 2250 ms (long)
- Major/minor discrimination (arpeggios) 125 ms per tone (short), 375 ms per tone (long) • Levels:
- Pitch discrimination 50 ± 3 dB SPL per component (pre-filtering), TEN at 40 dB SPL in ERB around 1 kHz
- Melody & major/minor discrimination -55 ± 3 dB SPL per component (pre-filtering), TEN at 43 dB SPL in ERB around 1 kHz

Methods

- **Participants:** Young normal-hearing listeners
- $\leq 20 \text{ dB HL}$ at audiometric frequencies from 250 Hz 8 kHz
- Screening:
- Audibility Masked thresholds in TEN ≤ 50 dB SPL for pure tones at 16 and 18 kHz
- Pitch F0DLs $\leq 6\%$ at 280 Hz and $\leq 12\%$ at 1400 Hz for stimulus without TEN
- Melodies $\geq 70\%$ correct for melody discrimination for 280 Hz lowpass-filtered melodies • Major/minor — $\geq 70\%$ correct for triad discrimination for lowpass-filtered 280 Hz triads
- Data collection
- F0DLs measured with 7 1-up-3-down adaptive staircases per condition
- Melody and major/minor discrimination measured with 10 blocks of 25 trials per condition

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Pitch perception of concurrent high-frequency complex tones Modeling with auditory nerve simulations

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$$ND_{F_0} = \left(\frac{\left(\frac{1}{\sum_{i}\int_0^T \frac{1}{\bar{r}_i(t|F_0)}}\right)}{\sum_{i}\int_0^T \frac{1}{\bar{r}_i(t|F_0)}\left[\frac{\partial \bar{r}_i}{\partial t}\right]}\right)$$





- behavioral data unclear